

The effect of climate change on the level and timing of future electricity demand

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Introduction

Understanding the effect of climate change is a critical economic, social and policy-relevant question

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- Economic growth (Dell et al., 2012)
- Economic production (Burke et al., 2015)
- Agriculture (Deschenes and Greenstone, 2012)
- Mortality (Barreca et al., 2016; Heutel et al., 2017)
- Human capital (Graff Zivin et al., 2018)
- **Electricity demand** (Davis and Gertler, 2015; Auffhammer et al., 2017; Wenz et al., 2017)

What this paper *doesn't* do:

- Does not predict *actual* future electricity demand
 - We estimate the *marginal* effect of temperature on demand
- Does not include population effects
- Does not include non-temperature related electrification
- Does not include directed technological change (supply-side)

Projected temperature changes across Canada

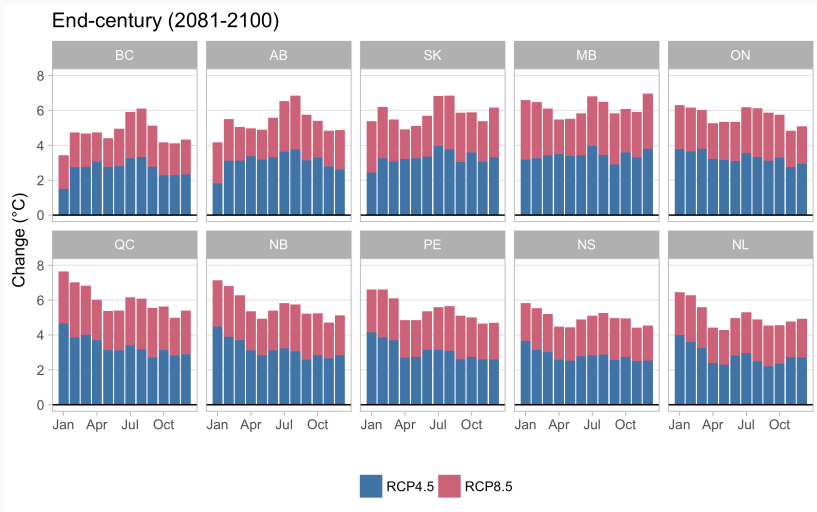


Figure 1: Temperature projections across Canada for end-century

Key Findings

- Annual Canadian electricity demand increases 3% by end-century
- Peak demand shifts to summer in most provinces
- Large increase in intraday ramping requirements across all provinces

We build on recent literature:

1. Regional heterogeneity (Wenz et al., 2017)
2. Incorporate adaptation (Davis and Gertler, 2015)
3. Intraday shape (Auffhammer et. al., 2017)

Conceptual framework

Simple representation of electricity demand:

$$y = f(T, D(T), X) \quad (1)$$

y Electricity demand

T Temperature

$D(T)$ Temperature-sensitive durables, e.g. AC, electric heat, etc.

X Non-temperature related factors

Conceptual framework

To see how demand responds to temperature, we differentiate (1) with respect to temperature:

$$\frac{dy}{dT} = \underbrace{f_T}_{\substack{\text{Direct effect} \\ \text{or} \\ \text{Intensive margin}}} + \underbrace{f_D \frac{dD}{dT}}_{\substack{\text{Indirect effect} \\ \text{or} \\ \text{Extensive margin}}} \quad (2)$$

Empirical Methodology

First, the data!

- Original dataset of hourly demand for every province in Canada for 2001-2015
 - Collected from each provincial utility and/or balancing authority
- Other data
 - Hourly temperature (2001-2015)
 - Observables (AC and electric heating penetration, residential share of demand)
 - Household level data (AC ownership, household characteristics)

Empirical strategy consists of two parts

- Part 1: Estimate the relationship between temperature changes and electricity demand
- Part 2: Project future demand changes using climate model temperature projections

Three steps:

1. Estimate short run temperature response functions (f_T)
2. Condition on observables (f_T and f_D)
3. Model air condition adoption ($\frac{dD}{dT}$)

Step 1: Get short run temperature response functions

Separate regression for each province p :

$$\log(y_t^p) = \sum_b \beta_b^p T_{tb}^p + \gamma^p \theta_t + \epsilon_t^p \quad (3)$$

y_t^p Electricity demand at datetime t in province p

T_{tb}^p Temperature bin b at datetime t in province p

θ_t Datetime fixed effects

β_b^p **Coefficients of interest:** the effect on demand of being in temperature bin b relative to omitted bin (17-19°C) in province p

Step 1: Get short run temperature response functions

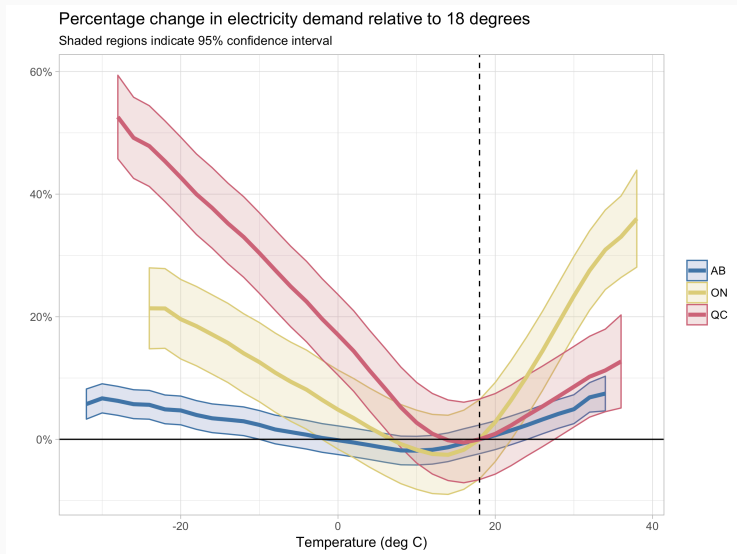


Figure 2: TEMPERATURE RESPONSE FUNCTIONS FOR 3 MAJOR PROVINCES

Step 2: Explaining heterogeneity in temperature response

We exploit variation in slopes of temperature response functions and corresponding differences in key temperature-sensitive observables:

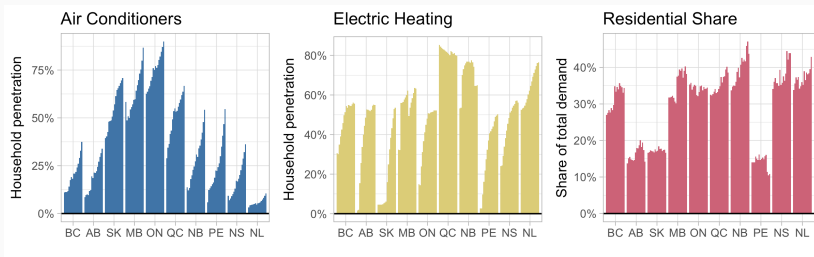


Figure 3: KEY TEMPERATURE-SENSITIVE OBSERVABLES, 2001-2015

Step 2: Explaining heterogeneity in temperature response

New (single) regression equation becomes:

$$\log(y_t) = \delta_1 g(T_{tp}) + \delta_2 D_{tp} + \delta_3 g(T_{tp})D_{tp} + \theta_t + \eta_p + \epsilon_t \quad (4)$$

$g(T_{tp})$ Function of temperature at datetime t in province p (we use heating and cooling degree days instead of bins)

D_{tp} Vector of "durables" (AC, Elec Heat, Res Share)

θ_t Datetime fixed effects

η_p Province fixed effect

Step 2: Explaining heterogeneity in temperature response

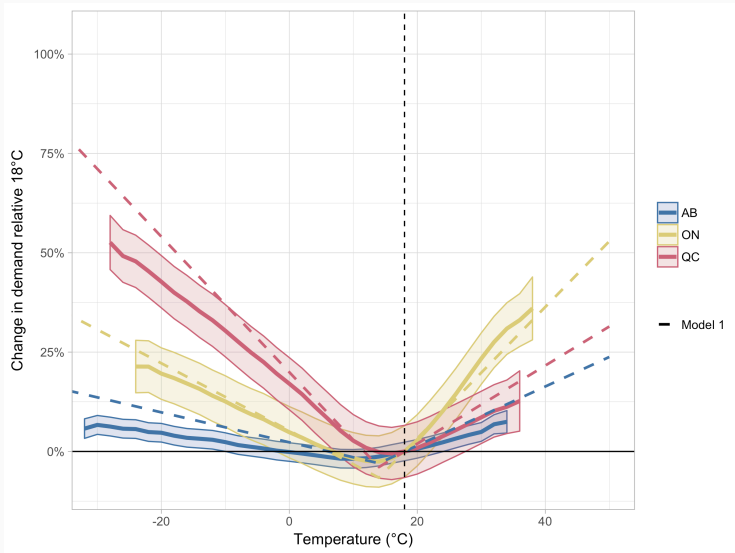


Figure 4: TEMPERATURE RESPONSE FUNCTIONS ESTIMATED TWO WAYS

Putting it all together

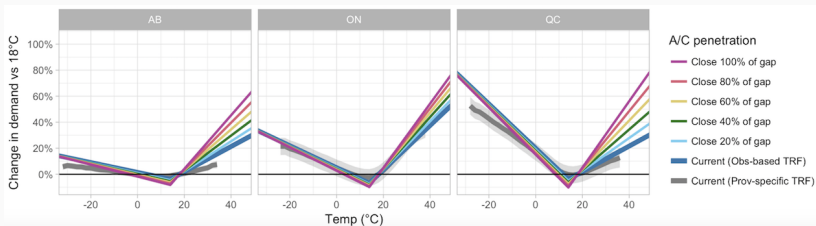


Figure 5: Temperature response at various AC penetration levels

Step 3: Estimate air conditioner adoption (dD/dT)

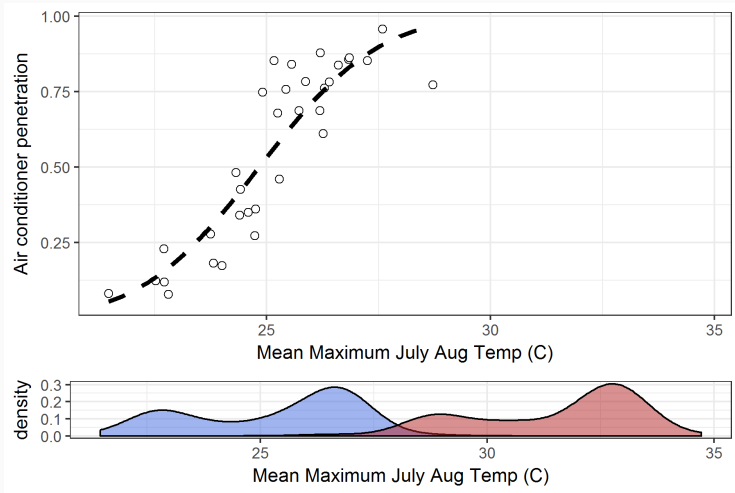


Figure 6: Air conditioner penetration as a function of climate

Projecting future demand changes

Changes to monthly average demand (Canada)

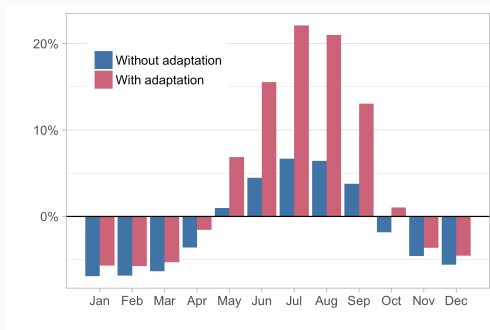


Figure 7: MONTHLY DEMAND CHANGE (RCP8.5, END-CENTURY)

Changes to annual and seasonal average demand

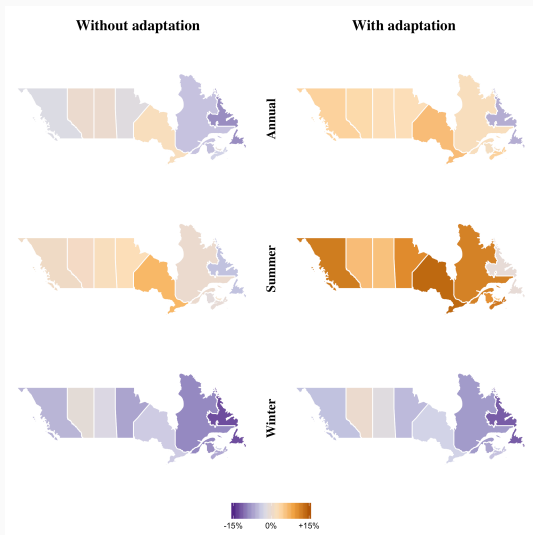


Figure 8: AVERAGE DEMAND CHANGE (RCP8.5, END-CENTURY)

Changes to peak demand

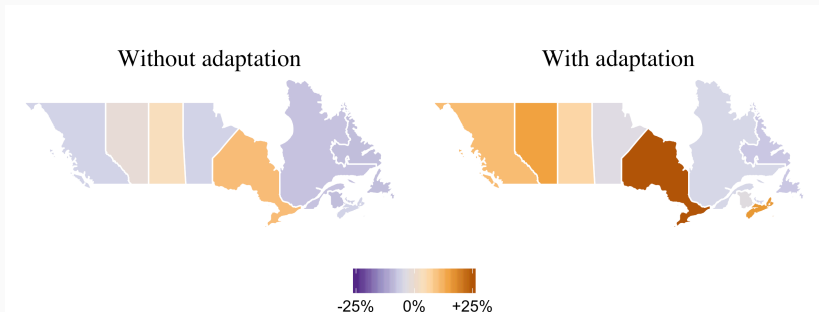


Figure 9: PEAK DEMAND CHANGE (RCP8.5, END-CENTURY)

Changes to peak season

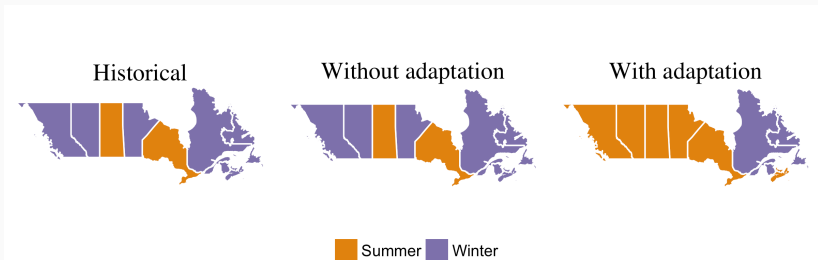


Figure 10: PEAK SEASON (RCP8.5, END-CENTURY)

Changes to intraday shape

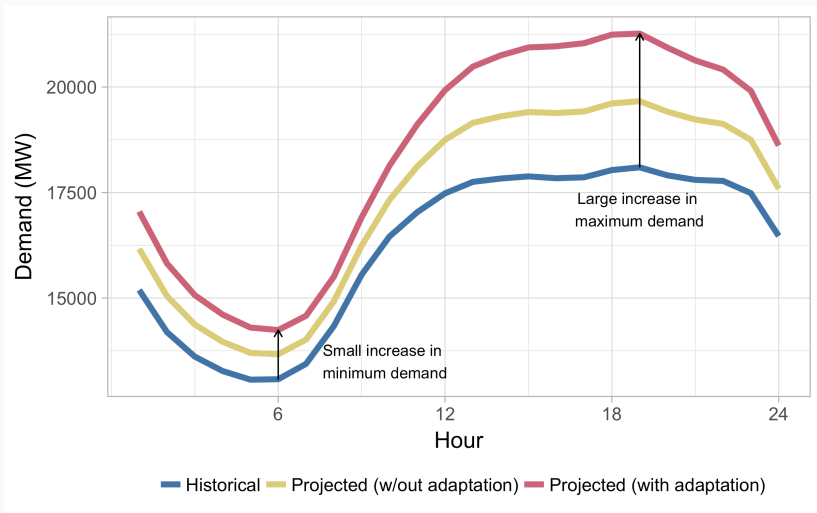


Figure 11: INTRADAY SHAPE OF HOURLY DEMAND (ONTARIO) (RCP8.5, END-CENTURY)

Changes to intraday ramping requirements

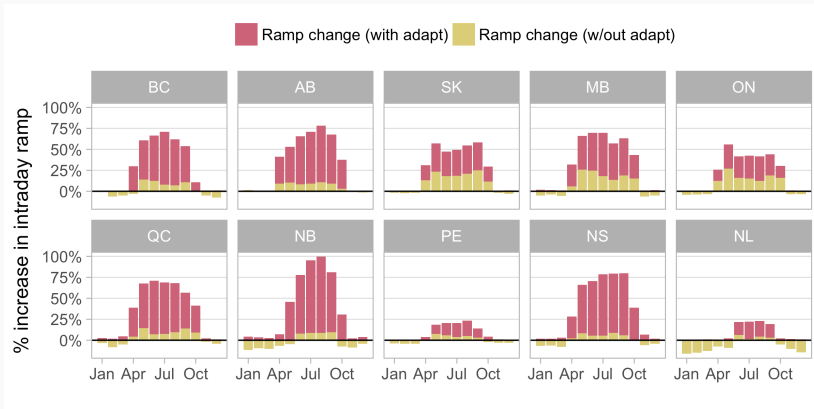


Figure 12: CHANGE IN INTRADAY MIN-TO-MAX RANGE (RCP8.5, END-CENTURY)

Conclusion

Recap of findings

- Relatively **small increase in the level** of demand
- Changes to **peak demand vary** by province
- Most provinces become **summer-peaking**
- Large increase in **intraday** ramping requirements across the provinces

Implications

- Colder countries benefit from rising temperature (in terms of reduced heating demand)
- Increase in ramping requirements exacerbates need for greater intraday flexibility coming from the supply side
- In California electricity parlance: *"Stretching the duck's neck"*

Thank you!

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